

Global Jack-Up Rig Behaviour Next to a Footprint

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ABSTRACT

This paper reports the effect of the global behaviour of three-legged jack-up rigs due to the reinstallation of spudcan footings next to seabed footprints. Two reinstallation scenarios are discussed: (i) two legs first installed on flat ground, and then the third leg installed near a footprint (representing what is known as leg-by-leg preloading); and (ii) the three legs installed simultaneously (representing simultaneous preloading). The spudcan-soil interaction was simulated using a coupled Eulerian-Lagrangian (CEL) approach. A simplified global jack-up model was developed by considering an equivalent beam model for the hull and legs. The results of the jack-up installations are compared against the responses of the more common modelling of a spudcan with a fixed head condition. A detailed parametric study assessing the consequences of spudcan-footprint interactions, such as the risk of the jack-up and spudcan sliding towards the footprint centre, overturning of the jack-up rig and of structural failure of the jack-up leg due to excessive stresses, is also discussed. The ability of a recently developed novel spudcan with a flat base and 4 holes, coupled with the global jack-up model, to mitigate the consequences of spudcan-footprint interactions is highlighted.

Keywords: jack-up, spudcan-footprint interaction, spudcan, global behaviour, numerical modelling

46 1. INTRODUCTION

47 Most offshore drilling in shallow to moderate water is performed from self-elevating jack-
48 up rigs due to their proven flexibility, mobility and cost-effectiveness [1,2]. Modern jack-
49 ups typically consist of a buoyant triangular platform supported by three independent truss
50 legs, each attached to a large-diameter spudcan. Jack-ups often return to sites where
51 previous operations have left footprints in the seabed. As shown in Fig. 1, if one of the jack-
52 up legs is located near a footprint slope, there is a tendency for the spudcan to slide towards
53 the centre of the footprint, inducing excessive lateral displacements and bending moments or
54 rotations in the rig. These detrimental foundation behaviours can result in an inability to
55 install the jack-up in the required position, the occurrence of leg splay, and, at worst,
56 structural damage to the whole jack-up system. Spudcan-footprint interaction has been
57 identified as the second most common reason for the geotechnical failure of jack-ups [3].

58 To alleviate this issue, the first step was to investigate the performance of a spudcan
59 installation next to a footprint. Due to both physical testing and numerical simulation
60 challenges, the problem was simplified by considering a single cylindrical leg attached to a
61 flat plate or generic spudcan and either a fixed head condition at the top of the leg [4-10] or
62 a free head condition that allows sliding of the leg [11-13]. The soil failure mechanisms
63 were exposed, the underlying behaviour was elucidated, and the critical offset ratio λ
64 (defined as $\lambda = \beta/D$, where β is the distance between the footprint centre and the spudcan
65 centre, and D is the spudcan diameter) was identified as 0.5~1.

66 The following step was to explore potential mitigation measures. Thus far a number of
67 measures have been trialled or examined, including: (a) infilling the crater [14,15]; (b)
68 capping the infilled crater with gravel loading platforms; (c) stomping [15,16]; (d) reaming
69 [16-18]; (e) perforation drilling [12]; (f) successive repositioning until the legs stabilise in
70 the desired position [19]; (g) use of a spudcan with a diameter identical or very similar to the

71 existing footprint diameter, placed in the same location as the existing footprint [20]; and (h)
72 simultaneous water jetting and spudcan preloading [21]. In relation to the case histories in
73 the North Sea, Jardine et al. and Grammatikopoulou et al. [15,22] examined the potential of
74 using the former two measures. However, the results were mostly inconclusive or
75 unsatisfactory. The pattern of soil movement became markedly asymmetrical, which led to
76 intolerable forces and moments developing in the jack-up leg before the target preload level
77 was reached. Infilling the crater with different type of soil created additional problems such
78 as punch-through. Use of a gravel loading platform incurred the potential for slope-base
79 failure. Stomping involves raising and lowering the jack-up leg over and away from the
80 footprint to displace the soil towards the footprint. Jardine et al. [15] and Hartono [16] tested
81 stomping and showed that it is effective in mitigating spudcan-footprint interactions where a
82 spudcan penetrated up to the depth of initial penetration during creating the footprint.
83 Reaming, also known as leg-working or leg reciprocation, was tested by Hartono [16] and
84 Hartono et al. [17,18], varying strategies involving different amplitude of leg penetration-
85 extraction cycles. It was found that reaming technique is only effective when a small
86 amplitude of penetration-extraction cycle was used. Perforation drilling involves puncturing
87 the soil by drilling a number of holes (and removing the soil) up to some depths beneath the
88 footprint toe. Hossain & Stainforth [12] showed that the removal of soil inside the spudcan
89 perimeter, with an area of 9% perforated, is effective in easing spudcan-footprint
90 interactions. However, all these techniques require additional mechanical operations to be
91 carried out offshore, leading to additional cost and time.

92 Consequently, Hossain et al. and Jun et al.[13,23,24] have focused on adjusting spudcan
93 shapes to ease spudcan-footprint interactions. These studies have led to the establishment of
94 a novel spudcan shape with a flat base and 4 holes [24]; the flat base reduces the induced
95 horizontal force on the bottom slope of the spudcan and the holes provide a preferential soil

96 flow path and force the spudcan to penetrate vertically. It has been shown that this shape can
97 effectively ease spudcan-footprint interaction issues such as reducing the induced horizontal
98 force. However, like the previous research on traditional spudcans these studies have
99 considered only a single leg or fixed head condition with a novel spudcan; hence, the results
100 cannot reflect the global behaviour of a jack-up rig, which may undergo leg splay and
101 rotation and is effected by the connecting hull and other two legs.

102 This study focuses on the effect of global jack-up rig behaviour on spudcan-footprint
103 interactions. The investigation was carried out through 3D large-deformation finite element
104 (LDFE) analyses of soil-structure interaction combining a global jack-up structure idealised
105 by equivalent beam elements. Both leg-by-leg and simultaneous all-leg preloading processes
106 [25], as commonly or sometimes used in the field, are considered with appropriate boundary
107 conditions. An extensive parametric investigation was undertaken, varying the footprint
108 geometry, soil strength and spudcan shape. Finally, the risk of sliding towards the footprint
109 centre, overturning of the jack-up rig and structural failure were assessed by the proposed
110 global jack-up modelling technique.

111 2. NUMERICAL ANALYSIS

112 3D LDFE analyses were carried out using the coupled Eulerian-Lagrangian (CEL) approach
113 in the commercial Finite Element (FE) package ABAQUS/Explicit (Version 6.12) [26]. Qiu
114 et al, Chen et al., Tho et al., Hu et al., Hamann et al., Kim and Hossain, Zheng et al. [27-35]
115 have investigated various geotechnical problems using the CEL approach and provided
116 evidence that it is applicable to solve problems involving large deformations. Extensive
117 background information about CEL, spudcan installation and footprint modelling can be
118 found in Jun et al., Zheng et al. and Hu et al. [23,24,35,36]; this information is not repeated
119 here.

120 2.1 Modelling for spudcan-footprint interaction

121 Considering the symmetry of the problem, half of the spudcan and soil were modelled. The
122 lateral extension of the soil domain was $4.0D$ from the centre of the spudcan (D is the
123 spudcan diameter) on the spudcan penetration side and $3.0D$ on the opposite side, and the
124 depth of the soil domain was $\sim 5.5D$ to avoid boundary effects during the installation process
125 (as obtained from preliminary convergence studies and considered by researchers [23,35]).
126 Mesh convergence studies were performed to ensure that the mesh was sufficiently fine to
127 give accurate results. Five different mesh densities were considered in the fine mesh zone.
128 The numerical results based on two different minimum element sizes (e.g. $h_{\min} = 0.021D$ or
129 11 elements per hole and $h_{\min} = 0.025D$ or 9 elements per hole) were almost identical,
130 indicating that mesh convergence was achieved with the density of $h_{\min} = 0.025D$ [23,30].
131 Therefore, the typical soil element size along the trajectory of the spudcan (i.e., in the fine
132 mesh zone) was selected as $0.025D$. A footprint was made using a void. A typical mesh is
133 shown in Fig. 2.

134 A conical footprint (with diameter, $D_F = 2D$ and depth, $z_F = 0.33D$; see Fig. 2b) or a
135 cylindrical footprint (with diameter, $D_F = D$ and depth, $z_F = 0.66D$; see Fig. 2c) with the soil
136 strength along and adjacent to the footprint identical to the intact strength profile was
137 considered. Generally, natural fine grained soils experience remoulding during a spudcan
138 penetration and extraction event. This disturbance is healed gradually with the passing of time
139 through dissipation of excess pore pressure [4,6]. The changes of strength in kaolin clay were
140 presented by Gan et al. [6] plotting strength contour as a function of the jack-up operational
141 period (0 and 2 years) and the intervening period before reinstallation (1 and 100 years).
142 Leung et al. [4] showed a full recovery of the original strength in kaolin takes 1~1.5 years in
143 the vicinity of the footprint. In this study, the soil strength along and adjacent to the footprint

144 identical to the intact strength profile was considered because of two main reasons: (i)
145 removing the variety of possible strength gradients around the footprint has allowed for a
146 consistent evaluation of the benefits of a new global modelling technique (and comparisons
147 with the existing data from centrifuge tests [7] and numerical analyses [15], as reported by
148 Jun et al. [23,24]), (ii) due to the limitation of the current CEL approach and the used Tresca
149 soil model, it is not possible to capture the effect of the jack-up operational period and the
150 intervening period before reinstallation, and to maintain suction at the base of the extracting
151 spudcan [37,38].

152 This study considered two different spudcan shapes: (a) a generic spudcan with a shape
153 similar to the spudcans of the 'Marathon LeTourneau Design, Class 82-SDC' jack-up rig
154 [39], and (b) a novel spudcan with a flat base and four holes [24] for easing spudcan-
155 footprint interaction issues. The details of these shapes are shown in Fig. 3. These spudcans
156 were simplified as a rigid body and connected to the jack-up rig (this will be discussed
157 later).

158 The penetration velocity of the spudcan (v) was assumed to be a constant of 0.1 m/s referring
159 the parametric studies [30,40]. Note, with this constant penetration rate, the rapid leg run or
160 uncontrolled leg run cannot be considered. Typically, reinstallation of spudcans in clay is
161 completed under undrained conditions. Furthermore, in practice, natural soils exhibit strain-
162 rate dependency and also softens as they are sheared and remoulded. Thus, the soil was
163 modelled as an elasto-perfectly plastic material that obeys a Tresca yield criterion that was
164 extended to capture the combined effects of rate dependency and progressive softening
165 following Einav and Randolph [41]. The undrained shear strength at individual Gauss points
166 was modified immediately after each step, according to the average rate of shear strain in the
167 previous time step ($\dot{\gamma}$) and the current accumulated absolute plastic shear strain (ξ), as

$$s_u = \left[1 + \mu \log \left(\frac{\text{Max}(|\dot{\gamma}|, \dot{\gamma}_{\text{ref}})}{\dot{\gamma}_{\text{ref}}} \right) \right] \left[\delta_{\text{rem}} + (1 - \delta_{\text{rem}}) e^{-3\xi/\xi_{95}} \right] s_{u,\text{ref}} \quad (1)$$

169 The shear strain rate, $\dot{\gamma}$, within the soil was evaluated according to

$$170 \quad \dot{\gamma} = \frac{\Delta\varepsilon_1 - \Delta\varepsilon_3}{\Delta t} \quad (2)$$

171 where $\Delta\varepsilon_1$ and $\Delta\varepsilon_3$ are the cumulative major and minor principal strains, respectively, over
 172 the incremental time. All the parameter definitions are given in the notation list. Further
 173 details can be found in [34,35,42]. The importance of considering this extended soil model,
 174 compared to a simple rate-independent and non-softened Tresca model, and corresponding
 175 effects have recently been highlighted by spudcan-footprint interaction problems by Zhang
 176 et al. [10], Hartono et al. [18], Jun et al. [23,24] and Zhang [43] for other problems by many
 177 researchers e.g. Hossain and Randolph [42], Zhou and Randolph [44], Kim et al. [45] and
 178 hence not repeated here. The soil-spudcan interface was modelled as frictional contact using
 179 a general contact algorithm with a limiting shear stress.

180 The mesh dependence of the strain softening behavior can be compensated by combining the
 181 rate-dependent model (Needleman [46]; Sluys and De Borst [47]; Oka [48]; Zhou and
 182 Randolph [44]). For that and for considering at least a reasonable operative shear strength,
 183 combined rate dependency and progressive softening was implemented although the
 184 considered constant penetration rate of 0.1 m/s may not represent the rate during a spudcan
 185 sliding towards a footprint centre. Further accuracy of this numerical model was confirmed
 186 by Jun et al. [23,24] through e.g. mesh size exercise and validation exercise against
 187 measured centrifuge test data.

188

189 2.2 Modelling for a simplified global jack-up rig

190 To examine the global behaviour induced by spudcan-footprint interactions, a simplified
 191 jack-up rig was modelled, as shown in Fig. 2. According to the ‘equivalent leg’ and
 192 ‘equivalent hull’ model schemes [49], the legs and hull were constructed by ‘beam’ elements
 193 with equivalent properties; the properties of these elements are summarised in Table 1. The
 194 hull and legs are generally connected by a jacking system (e.g., roller). In this study, this
 195 connection was modelled by ‘beam connector’ elements, allowing movement in vertical
 196 direction ($U_z = \text{free}$) while maintaining the other degrees of freedom (U_x , U_y , R_x , R_y and R_z)
 197 fully coupled at the leg-hull connection [15]. The spudcan and a leg were connected by a
 198 ‘MPC tie’ (see Fig. 2), allowing the movement of all degrees of freedom (U_x , U_y , U_z , R_x , R_y
 199 and R_z) at the connection point. Symmetric conditions were applied to the overall model. In
 200 the field, a hull is generally submerged in shallow water (with a draft) during (at least) the
 201 initial preloading, particularly if a hazard (e.g., punch-through or spudcan-footprint
 202 interaction) was forecasted. The corresponding vertical buoyancy effect on the hull base was
 203 applied using a spring stiffness (K_{buoy}) according to

$$204 \quad \Delta s = \frac{\Delta F_{\text{buoy}}}{K_{\text{buoy}}} \quad (2)$$

205 where Δs is the hull vertical displacement, $K_{\text{buoy}} (= \rho_{\text{sea}} \times g \times A_{\text{hull bottom}} / \text{number of springs})$
 206 is the spring stiffness of the static vertical buoyancy effect, and ΔF_{buoy} is the changed static
 207 buoyancy force on the hull bottom (or the required force for Δs). ρ_{sea} is the density of the sea
 208 water (1.025 ton/m³), g is the acceleration of gravity (9.81 m/s²), and $A_{\text{hull bottom}}$ is the hull
 209 base area. Although a controlled leg penetration (0.1 m/s) was modelled, changes of buoyancy
 210 were occurred due to the rotation of the hull, which was caused by the lateral displacement
 211 and rotation of the legs. Note that other environmental loads induced by winds, waves and

212 currents were ignored, as it is usual for a relatively calm weather condition to be considered
 213 during preloading [50].

214 **2.3 Modelling for penetration scenarios**

215 To reflect the preloading sequences in the field, two different preloading processes were
 216 considered: (a) Preloading A, leg-by-leg preloading: two legs were first installed on the flat
 217 ground, and then the third leg was penetrated (at a constant rate of 0.1 m/s) near a footprint
 218 (see Fig. 4); (b) Preloading B, simultaneous preloading: all three legs were penetrated
 219 simultaneously (at a constant rate of 0.1 m/s; see Fig. 5). To reduce the computational time,
 220 the spudcans on the flat ground were replaced by foundation springs. The details of the
 221 modelling techniques are described below.

222 **Preloading A, leg-by-leg preloading:** The spudcans installed on the flat ground were
 223 assumed to be pre-embedded to a depth of 0.25D [8]. The spudcans were replaced by
 224 attached foundation springs (see Fig. 4), and the stiffnesses were calculated according to the
 225 International Standard Organisation guidelines [51]

$$226 \quad K_{V,ISO} = K_{dV} \times 2GD / (1-\nu) \quad (\text{vertical stiffness}) \quad (3)$$

$$227 \quad K_{H,ISO} = K_{dH} \times 16GD(1-\nu) / (7-8\nu) \quad (\text{horizontal stiffness}) \quad (4)$$

$$228 \quad K_{M,ISO} = K_{dM} \times GD^3 / 3(1-\nu) \quad (\text{moment stiffness}) \quad (5)$$

229 where K_{dV} , K_{dH} and K_{dM} are the stiffness depth factors, G is the shear modulus of the
 230 foundation soil and ν is Poisson's ratio of the soil. The third spudcan then penetrated the
 231 footprint slope at a constant penetration velocity of $v = 0.1$ m/s. Note that it was assumed
 232 that a single leg penetration is carefully controlled by sequential filling and discharge of
 233 preload ballast tanks around the leg to minimise the impact on the global moment
 234 equilibrium [50].

235 **Preloading B, simultaneous preloading:** All legs are sometimes installed simultaneously,
236 as reported by Amodio et al. [25] for a jack-up rig installation near an existing footprint.
237 They employed simultaneous preloading of three legs in the initial preloading stage (see Fig.
238 5). The changes in the stiffness of the other two legs during this continuous penetration
239 process cannot be represented by the foundation stiffness from the ISO guidelines [51],
240 which give a constant stiffness at a given depth (Equations 3~5). Therefore, the evolution of
241 stiffness was derived directly from a series of LDFE simulations considering the same soil
242 and spudcan properties. For example, as shown in Fig. 6a, the simplified vertical stiffness
243 ($K_{V,LDFE}$) was extracted from the results of penetration tests on the flat ground. In addition,
244 the simplified horizontal ($K_{H,LDFE}$) and moment ($K_{M,LDFE}$) stiffness were obtained from
245 lateral swipe and rotation tests at different depths ($d/D = 0.0, 0.1$ and 0.2), respectively (see
246 Fig. 6b and 6c). The correlation of the combined load components was not considered. This
247 modelling approach is consistent with that followed by [52,53] for the study of monopoles
248 and bucket foundations. The penetration velocity (v) of the three legs was assumed to be 0.1
249 m/s.

250 3. RESULTS AND DISCUSSION

251 To examine the effect of various factors on jack-up rig spudcan-footprint interactions, an
252 extensive parametric study was carried out varying the (a) preloading processes (preloading
253 A and preloading B), (b) soil strength ($s_{u,ref} = 2.4 + 1.35z$ kPa to represent soft clays and 50
254 kPa corresponding to very stiff clays), (c) footprint geometry ($D_F = 2D$ and $z_F = 0.33D$ to
255 represent footprints in soft clays, e.g., [20,54-56]; and $D_F = 1D$ and $z_F = 0.66D$ to represent
256 footprints in moderate to stiff clays, e.g., [57]), and (d) spudcan shape (generic spudcan and
257 novel spudcan; $D = 15$ m). The results from this parametric study, as assembled in Table 2,
258 are discussed below. The parameters for the rate dependency and strain-softening of the clay

259 soil were assumed to be $\mu = 0.1$, $\delta_{\text{rem}} = 1/S_t = 1/3$, $\xi_{95} = 15$, and $\dot{\gamma}_{\text{ref}} = 1.5\% \text{ h}^{-1}$, as they
260 typically provided a good match with the data from the field and centrifuge tests [23,35].

261 **3.1 Effect of preloading process and foundation stiffness**

262 The effect of the global behaviour of spudcan-footprint interactions was investigated by
263 comparing the modelling results with those from single spudcan penetration analyses with a
264 fixed head condition (infinite horizontal and rotational stiffness, allowing only vertical
265 displacement). The soft clay conditions ($s_{u,\text{ref}} = 2.4 + 1.35z$ in the Gulf of Mexico; [39]),
266 conical footprint geometry ($D_F = 2D$ and $z_F = 0.33D$; see Fig. 2b), and $\lambda = 0.55$ were chosen
267 from the field measurements and centrifuge tests. As noted previously, two different
268 preloading processes were considered by using different types of foundation stiffness (K_{ISO}
269 and $K_{\text{LD FE}}$). For simultaneous preloading (preloading B), additional reduction of the
270 foundation stiffness (e.g., $\omega \times K_{\text{LD FE}}$, where $\omega = 0.1, 0.3$ and 0.5) was considered to quantify
271 the effect of the foundation stiffness. These reduced stiffness cases correspond to various
272 spudcan embedment conditions and seabed soil strength heterogeneity, for instance, one leg
273 penetrating the footprint slope while the other two legs are adjacent to a region that is lower
274 than the footprint area. A similar approach using reduced stiffness was considered by Kong
275 et al. [8].

276 Fig. 7 shows a comparison of the performance of the generic spudcan in terms of the
277 horizontal (H), vertical (V), moment (M) stiffnesses, lateral displacement (δ) and rotation
278 distribution (θ) at the spudcan reference point RP (see Fig. 3) along the normalised
279 penetration depth d/D . The corresponding soil failure mechanisms are displayed in Fig. 8.
280 The profiles of the vertical force (V) for the fixed head condition with the two global jack-
281 up rig preloading processes are very consistent (Fig. 7a). However, for preloading B, a
282 reduced stiffness resulted in a reduced vertical resistance at shallow penetration depths (d/D

283 < 0.2). This is due to sliding with the increasing lateral displacement allowing for a
284 reduction in the resistance (see Fig. 7d). As shown in Fig. 8, during sliding, instead of
285 vertical penetration, the movement of the spudcan along the footprint slope dominates the
286 behaviour. The lateral sliding stops at approximately $d/D = 0.2$ (the maximum lateral
287 displacement, $\delta_{\max} = 6.23$ m for $\omega = 0.1$), where the base of the spudcan is in full contact
288 with the soil (see Fig. 8b); hence, the penetration resistance profile rises sharply and merges
289 with those of the no sliding or minor sliding cases.

290 The induced horizontal force (H) with global modelling is 8~9% lower than that with the
291 fixed head condition (0.93~0.94MN vs 1.02 MN; see Fig. 7b). This reduction arises mainly
292 from the lateral sliding towards the footprint centre, diminishing the asymmetry of the soil
293 failure mechanism (see Figs. 7d and 8). Relative to the fixed head condition, both reduction
294 of H and lateral sliding displacement δ increase with decreasing stiffness K (Figs. 7b and 7d)
295 confirms the previously identified explanation. The maximum horizontal force (H_{\max}) for
296 $0.1 \times K_{\text{LD FE}}$ is 0.25 MN, which is approximately 75% lower than that for the fixed head
297 condition ($H_{\max} = 1.02$ MN).

298 All the moments (M) in this parametric study are shown in Fig. 7c. The moment (M) at RP
299 is mainly governed by the resultant vertical force (V) and its eccentricity from RP as the
300 resultant horizontal forces nearly pass through RP [7,10,23-24]. As such, the differences in
301 the maximum moment (M_{\max}) are not very large (see Fig. 7c).

302 The lateral displacement, δ , and rotation, θ , are plotted in Fig. 7d and 7e, respectively. Both
303 values are 0 regardless of the penetration depth for the fixed head condition, as the spudcan
304 was forced to penetrate vertically. The maximum lateral displacements for preloading A and
305 preloading B are respectively $\delta_{\max} = 0.49$ m and 0.55 m, which increase with decreasing ω
306 or stiffness (Fig. 7d). For instance, $\delta_{\max} = 6.23$ m for $\omega = 0.1$. Interestingly, the trend is
307 reversed for the rotation θ . The maximum rotation value θ_{\max} is -0.23° for preloading A and

308 -0.13° for preloading B. θ_{\max} decreases with ω or the stiffness (Fig. 7e). For instance, $\theta_{\max} =$
 309 -0.04° for $\omega = 0.1$. This is because of the domination of the global jack-up movement
 310 mechanism, translational to leg splay, as explained below.

311 Fig. 9 shows the schematic diagram for the relative lateral displacement (δ) and rotation (θ)
 312 at four characteristic locations in the jack-up rig: (a) location A ($\Delta\delta_a$ and $\Delta\theta_a$) is at the
 313 spudcan on the flat seabed; (b) locations B and C ($\Delta\delta_b$, $\Delta\delta_c$ and $\Delta\theta_b$, $\Delta\theta_c$) are at the
 314 connection between the hull and the leg; and (c) location D ($\Delta\delta_d$ and $\Delta\theta_d$) is at the spudcan
 315 near the footprint. The values of δ and θ for these four locations from the abovementioned
 316 analyses are summarised in Table 3 (note, Fig. 7d and 7e show the resultant lateral
 317 displacement ($\delta = \Delta\delta_a + \Delta\delta_b + \Delta\delta_c + \Delta\delta_d$) and rotation ($\theta = \Delta\theta_a + \Delta\theta_b + \Delta\theta_c + \Delta\theta_d$),
 318 respectively, at location D). For the relatively higher stiffness cases (i.e., K_{ISO} and $K_{\text{LD FE}}$),
 319 the maximum lateral displacements occur at locations B and D, while the displacements at
 320 location A and C are minimal. This is because, for instance, at location A, the actual lateral
 321 responses lie in the elastic zone of stiffness K_{ISO} and $K_{\text{LD FE}}$ (see Fig. 10). This minimum
 322 lateral displacement at locations A and C and maximum lateral displacement at B and D
 323 results in leg splay of the global jack-up. However, by reducing the foundation stiffness
 324 ($\omega \times K_{\text{LD FE}}$, $\omega = 0.1, 0.3$ and 0.5), the displacements at location A increase remarkably (see
 325 Fig. 10), while those at B and D decrease. Therefore, the global jack-up deformation pattern
 326 changes to a horizontal translational mode (see insets in Fig. 10).

327 In all the cases, the rotation increments at location D ($\Delta\theta_d$) are almost identical to the
 328 resultant rotation at the spudcan location RP (θ ; see Table 3). This attributes to the fact that
 329 the buoyancy spring stiffness (K_{buoy}) restricts the rotation of the hull, leading to the other
 330 rotation components compensating with each other ($\Delta\theta_a + \Delta\theta_b + \Delta\theta_c \approx 0$).

3.2 Evaluate structural integrity

With the global jack-up modelling technique, the structural integrity of the jack-up leg can be assessed. To generate a large horizontal force (and hence the leg failure load) from the spudcan-footprint interaction, a very stiff clay ($s_{u,ref} = 50$ kPa) and corresponding foundation stiffness (e.g., K_{ISO}) were considered as pre-embedded conditions for the spudcan on the flat ground. According to the centrifuge tests reported by Gan [54], a cylindrical footprint geometry ($D_F = 1.00D$ and $z_F = 0.66D$; typical footprint geometry in stiff clay; see Fig. 2c) and $\lambda = 0.5$ were selected.

The spudcan responses and corresponding failure mechanisms from the global jack-up modelling are presented in Fig. 11 and 12, respectively. The results from a single spudcan penetration with a fixed head condition are also included in Fig. 11 for comparison. Consistent with Fig. 7, the global responses (vertical load, horizontal load and moment in Fig. 11) are lower than the fixed head responses. However, as expected, the lateral displacement and rotation are greater for the global jack-up.

By comparing with the results in Fig. 7, all the spudcan responses for a deep cylindrical footprint in stiff clay are significantly higher than the corresponding results for a shallow conical footprint in soft clay, although the offsets of the spudcan penetration are very similar, $\lambda = 0.5$ (Fig. 11) and 0.55 (Fig. 7). For instance, the maximum horizontal force (H_{max}) is 682% greater for a deep cylindrical footprint. This is because of the more profound asymmetric soil flow to deeper penetration depths, as can be observed by comparing the soil failure mechanisms between Fig. 8 and 12, and the increased undrained shear strength. In addition, the global modelling confirms that the lateral sliding towards the footprint centre reduces the induced horizontal force.

Fig. 7c and 11c plot the moment at RP at the spudcan centre, nominally nulling the influence of the resultant horizontal force H , as it nearly passes through the RP. However, if

356 the reference point is shifted to the point connecting the leg with the hull, the resultant
357 horizontal force H will add additional moment ($= H \times L_{leg}$) and dominate the moment
358 response [23,24]. If the consequent stress on the leg exceeds its structural capacity, the leg
359 can be damaged. For example, Fig. 13a plots the moment at the leg top for the preloading A
360 (K_{ISO}) case shown in Fig. 11c. Clearly, the moment direction is reversed, and the magnitude
361 of the maximum moment is significantly higher (-467.5 MN vs 72 MN). Fig. 13b shows that
362 the beam stress distribution on the leg interacts with the footprint just below the hull (150 m
363 above the soil surface), which is captured directly from the global jack-up modelling. The
364 beam stress can be divided into two components: (a) pure axial stress from the vertical force
365 (e.g., penetration resistance) and (b) bending stress from the spudcan-footprint interaction
366 (i.e., horizontal force, moment, leg eccentricity; see inset in Fig. 13b). In this case, the
367 structural stability of the leg is dictated by the bending stress due to the effect of the
368 spudcan-footprint interaction. For instance, when the maximum beam stress ($\sigma_{beam,max}$) is
369 approximately -420.8 MPa, the axial stress (σ_{axial}) is -82.2 MPa (19.5% of σ_{beam}) and the
370 bending stress ($\sigma_{bending}$) is -338.6 MPa (80.5% of σ_{beam}). Fig. 13c shows the evolution of
371 structural stresses with the spudcan penetration depth d/D , allowing the identification of the
372 critical depth for attaining the maximum beam stress as $d/D_{critical} = 0.45$.

373 In the analyses above, the jack-up legs were simplified according to the 'equivalent leg'
374 model scheme of SNAME [49]. To assess the structural integrity more precisely, an analysis
375 was performed by considering a truss leg, following the ISO design guideline [51]. From the
376 analyses above (e.g., Fig. 13), it was found that the maximum stress was concentrated on the
377 leg with the spudcan to be installed near the footprint, just beneath the connection of the hull
378 with the leg. As such, for this analysis, only a 37.5-m-long section of that leg from the hull-
379 leg connection point was considered, as shown in Fig. 14. For the boundary conditions,
380 three degrees of freedom (lateral displacement in the x direction, U_x , vertical displacement,

381 U_z , and rotation in the y direction, R_y) at the top and bottom of the truss leg section were
 382 considered, while lateral displacement in the y direction (or perpendicular to the page), U_y ,
 383 rotation in the x direction, R_x , and rotation in the vertical direction, R_z , were assumed to be
 384 zero due to the symmetric condition of the problem.

385 In ISO guidance [51], the structural stability requirement for the chord is suggested to be

$$386 \quad |\sigma_{\text{beam,max}}| < \sigma_{\text{criteria}} \quad (6)$$

387 where $\sigma_{\text{criteria}} = \sigma_{\text{column buckling}} / F_{\text{safety}}$

$$388 \quad \sigma_{\text{column buckling}} = (1.0 - 0.278 \times \chi^2) \times \sigma_{\text{yield}} \quad \text{for } \lambda \leq 1.34$$

$$389 \quad = 0.9 \times \sigma_{\text{yield}} / \chi^2 \quad \text{for } \lambda > 1.34$$

390 $F_{\text{safety}} = \text{resistance factor} = 1.15$

$$391 \quad \chi = (\sigma_{\text{yield}} / \sigma_E)^{0.5}$$

$$392 \quad \sigma_E = \text{Euler buckling strength} = \pi^2 E_{\text{steel}} / (K \times L_{\text{bay}} / r_{r\&c})^2$$

393 $K = \text{column effective length factor} = 1.0$

394 The yield strength (σ_{yield}) for the chord typically ranges from 414 to 700 MPa depending on
 395 the jack-up rig size and type [51]. L_{bay} is one bay length, $r_{r\&c}$ is the radius of gyration of the
 396 rack and chord, and E_{steel} is Young's modulus of the steel. The considered dimensions and
 397 properties of the chord and brace are summarised in Table 4. According to Equation 6,
 398 σ_{criteria} varies between 302.8 and 445.3 MPa.

399 Fig. 15 shows the results in terms of beam stresses in the leg. The maximum stress (-398.8
 400 MPa) occurs at the second (from the top) joint between the left chord and braces (see the
 401 zoomed-in figure of the left chord in Fig. 15). The maximum absolute value of the beam
 402 stress at the joint, $|\sigma_{\text{beam,max}}| = 398.8$ MPa, exceeds the lower bound of the design criteria,
 403 $302.8 \text{ MPa} < \sigma_{\text{criteria}} < 445.3 \text{ MPa}$ (calculated with Equation 6 and the input from Table 4).

404 Therefore, $|\sigma_{\text{beam,max}}| > \sigma_{\text{criteria}}$, indicating that leg failure may occur if a leg of the jack-up rig
405 is installed on a deep cylindrical footprint in very stiff clay.

406 Interestingly, the maximum absolute beam stress from the global modelling with simplified
407 legs (-420.8 MPa in Fig. 13) closely predicts (just 5.5% higher) the maximum stress from
408 the detailed truss leg analysis (398.8 MPa in Fig. 15). Although simplified leg modelling
409 cannot indicate the exact location of the likelihood of failure on the global jack-up structure,
410 a critical zone can be identified. Note that if the maximum absolute stress from the global
411 modelling with simplified legs (σ_{beam}) is close to or exceeds the stability criterion (σ_{criteria}), a
412 detailed truss leg analysis has to be conducted.

413 **3.3 Effect of novel spudcan**

414 From the previous investigations [13,23,24], it has been consistently found that spudcan
415 shape has a significant influence on spudcan-footprint interactions, leading to the
416 establishment of a novel spudcan shape, with a flat base and 4 holes, to ease spudcan-
417 footprint interaction issues. For example, the reduction of the maximum induced horizontal
418 force (H_{max}) by the novel spudcan was approximately 30%~42% [24] and the reduction of
419 the lateral sliding distance was 74~98% [13], in comparison to the results using a generic
420 spudcan. However, all the previous simulations or tests have been conducted considering a
421 single rigid leg with either a fixed head or free head (allowing lateral displacement of the
422 spudcan and leg together [13]) condition. In this study, the performance of the novel
423 spudcan will be assessed through global jack-up rig modelling.

424 Lateral sliding

425 To check the effect of the novel spudcan on lateral sliding, a normal (preloading B; $K_{\text{LD FE}}$)
426 and a reduced (preloading B; $0.1 \times K_{\text{LD FE}}$) foundation stiffness and a conical shallow
427 footprint geometry ($D_{\text{F}} = 2D$ and $z_{\text{F}} = 0.33D$), were chosen. Fig. 16 shows the response

428 profiles for both novel and generic spudcans as comparison. For the normal stiffness case,
429 the novel spudcan reduces H_{\max} by 31% and θ_{\max} by 23%, but the values of M_{\max} (near RP)
430 and δ_{\max} are very similar. In contrast, for the reduced stiffness case, the values of H_{\max} , M_{\max}
431 and θ_{\max} are similar, but the novel spudcan reduces δ_{\max} by 40%. These results can be
432 explained by the corresponding soil failure mechanisms depicted in Fig. 17. By comparing
433 the mechanisms for the generic spudcan in Fig. 8, the flat-based underside profile and holes
434 on the novel spudcan provide preferential soil flow paths, somewhat anchoring the spudcan
435 on the right slide with earlier soil flow through the holes and forcing the spudcan to
436 penetrate more vertically, reducing H_{\max} (for the normal stiffness case) or θ_{\max} (for the
437 reduced stiffness case).

438 Note that the vertical resistance of the novel spudcan is lower than that of the generic
439 spudcan up to $d/D = \sim 0.25$ due to the reduced net area ($A_{\text{net}} = 141.4 \text{ m}^2$ for the novel
440 spudcan vs 176.7 m^2 for the generic spudcan). Therefore, to confirm the mitigation
441 efficiency of the novel spudcan shape, an additional analysis was carried out on a large
442 novel spudcan of $D = 16.4 \text{ m}$ (with A_{net} equal to the generic spudcan). Here, only the flat
443 base part was increased to get an identical A_{net} (see inset in Figure 16). As expected, (i) the
444 vertical force for the large novel spudcan ($D = 16.4 \text{ m}$) becomes similar to the generic
445 spudcan (Figure 16a), (ii) the horizontal force remains similar to the original novel spudcan
446 (Figure 16b) as the enlarged flat base did not mobilise additional horizontal force, and (iii)
447 the moment response increases significantly due to the enhanced imbalance vertical force
448 (Figure 16c). The effect of the holes has been reported extensively by Jun et al. [23, 24].

449 Leg failure

450 To examine the effect of the novel spudcan on the structural integrity, stiff clay with a
451 deeper footprint case, discussed in Fig. 11~15, was considered. The same analyses were

452 carried out by replacing the generic spudcan with the novel spudcan. The results are shown
453 in Fig. 18~20.

454 Compared to the response of the generic spudcan, the maximum horizontal force (H_{\max}),
455 maximum moment (M_{\max}), maximum lateral displacement (δ_{\max}), and maximum rotation
456 (θ_{\max}) are reduced by 34.2%, 19.2%, 31.5% and 22.6%, respectively, by using the novel
457 spudcan (see Fig. 18). With the progress of penetration, the soil flow beneath the generic
458 spudcan is mainly directed towards the other side of the footprint wall (see Fig. 12a and b),
459 whereas the soil at the base of the novel spudcan flows partly through the holes and partly
460 towards the other side of the footprint wall (see Fig. 19a and b). The soil flow through the
461 holes somewhat anchors the spudcan, limiting the lateral sliding of the spudcan towards the
462 footprint centre.

463 Fig. 20a shows the stress distributions, as a function of the normalised spudcan penetration
464 depth d/D , from the global modelling considering simplified beam legs. The critical spudcan
465 penetration depth for attaining the maximum stress, $d/D_{\text{critical}} = 0.5$, is similar to that (0.45)
466 for the generic spudcan (see Fig. 13c). However, the maximum beam stress of $\sigma_{\text{beam,max}} = -$
467 315.9 MPa is 25% lower than that (420.8 MPa) for the generic spudcan. Nevertheless,
468 $|\sigma_{\text{beam,max}}| = 315.9$ MPa exceeds the lower bound of the design criteria, $302.8 \text{ MPa} < \sigma_{\text{criteria}} <$
469 445.3 MPa. As such, a detailed truss leg analysis was carried out, and the stress distribution
470 is shown in Fig. 20b. Again, the location of the maximum beam stress at the 2nd (from the
471 top) joint between the left chord and braces is consistent with the location of the maximum
472 beam stress for the generic spudcan (see Fig. 15). However, the maximum beam stress of
473 $|\sigma_{\text{beam,max}}| = 298.6$ MPa is now less than the lower bound of the design criteria, $302.8 \text{ MPa} <$
474 $\sigma_{\text{criteria}} < 445.3$ MPa, meaning that the leg or jack-up rig will not fail if the novel spudcan is
475 used. This confirms that tweaking the spudcan shapes (i.e., the underside profile and holes)

476 has potential to ease spudcan-footprint interactions and increases the structural integrity of
477 the jack-up rig.

478 4. CONCLUDING REMARKS

479 A global assessment of spudcan-footprint interactions was performed through modelling of
480 a complete jack-up rig considering three simplified tubular legs connected by a hull than
481 that performed using a single leg or fixed head condition. The influence of buoyancy on the
482 hull draft was taken into account. The two routine preloading methods, i.e. leg-by-leg
483 preloading and simultaneous preloading, were simulated. The jack-up rig was set up with
484 one leg with its spudcan foundation near a footprint and the other two legs with their
485 spudcans away from the footprint. The two spudcans away from the footprint were replaced
486 by vertical horizontal and moment springs to simplify the analysis. The stiffness of the
487 springs were obtained from the LDFE analyses and artificially reduced (to capture softer soil
488 or surface footing case) the values. In addition, two soil strengths and two footprint
489 geometries were explored. Advanced structural integrity analyses were carried out by
490 considering global modelling with a tubular leg or truss leg to identify the potential and
491 location of leg failure due to spudcan-footprint interactions. Finally, the performance of a
492 recently proposed novel spudcan in the global jack-up rig was assessed. The following
493 conclusions can be drawn.

494 Global jack-up rig modelling showed that induced horizontal force H_{\max} may be 8~9% (for
495 soft clay with a 2D wide and 0.33D deep footprint) and 15.9% (for stiff clay with a 1D wide
496 and 0.66D deep footprint) lower compared to the fixed head condition. However, this study
497 also provided an indication of the magnitude of the lateral spudcan displacement, with
498 maximum displacements of $\delta_{\max} = 0.45\sim 0.55$ m (for soft clay) to 3.43 m (for stiff clay), and
499 maximum rotations of $\theta_{\max} = -0.13\sim -0.23^\circ$ (for soft clay) and -1.37° (for stiff clay). The

500 reduction of H with global modelling increased with decreasing stiffness K and increasing
501 lateral sliding displacement δ . The effect of preloading process was found to be insignificant.
502 All the responses for a deep cylindrical footprint in stiff clay were significantly higher
503 compared to the results for a shallow conical footprint in soft clay, with identical spudcan
504 installation offset.

505 For the stiff clay with a $0.66D$ deep footprint and generic spudcan, the maximum beam
506 stress occurred at a spudcan penetration depth of $0.5D$. Both the global analysis with a
507 tubular leg and detailed truss leg analysis showed that the leg on the footprint would fail at
508 the second (from the top) joint between the left chord and braces due to the beam stresses
509 caused by spudcan-footprint interactions.

510 The novel spudcan with a flat base and 4 holes reduced H_{\max} by 31% and θ_{\max} by 23% (for
511 soft clay with a $2D$ wide and $0.33D$ deep footprint) and H_{\max} by 34.2%, δ_{\max} by 19.2% and
512 θ_{\max} by 31.5% (for stiff clay with a $1D$ wide and $0.66D$ deep footprint) against the generic
513 spudcan. More importantly for the cases studied here, from the detail truss leg analysis, the
514 leg near the footprint, which would fail with the generic spudcan, may not fail with the
515 novel spudcan.

516 Based on the results, the recommendations for the design of a spudcan penetration near a
517 footprint can be proposed as

- 518 1. The responses are affected by the footprint geometry, offset distances, and spudcan
519 shape.
- 520 2. To prevent the large lateral displacement towards the footprint centre, the horizontal
521 resistance capacity at the other spudcans should be larger than the horizontal force
522 induced by spudcan-footprint interactions.
- 523 3. The structural integrity of the leg must be checked against the predicted induced
524 horizontal force and moment.

525 4. The novel spudcan can be used for easing spudcan-footprint interactions.
526 All the analyses were performed considering a footprint with the soil strength along and
527 adjacent to the footprint identical to the intact strength profile. The changes of soil strength
528 during the formation of the footprint and subsequent jack-up operational period and the
529 intervening period before reinstallation was therefore not taken into account. Further
530 analyses are being carried out considering soil strength heterogeneity around the footprint.
531 Due to the limitation of the used LDFE technique and soil constitutive model, footprint was
532 not created in the real field way of penetration and extraction of a spudcan. Instead, the
533 footprint geometries and strength contour presented by Gan et al. [6] as a function of the
534 jack-up operational period and the intervening period before reinstallation were directly
535 mapped in the LDFE simulations. The results will be published in the future.

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543

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700 Nomenclature

A_{hull}	cross-sectional area of equivalent hull beam model
$A_{\text{hull bottom}}$	bottom area of jack-up rig hull
A_{leg}	cross-sectional area of equivalent leg beam model
A_{net}	net area of spudcan at largest section
$A_{\text{r\&c}}$	cross-sectional area of rack and chord
D	spudcan diameter at largest section
D_{brace}	brace diameter
D_{chord}	chord diameter
D_{F}	footprint diameter
d	penetration depth of spudcan base
d/D_{critical}	normalised critical penetration depth
d_{h}	hole diameter
E_{steel}	Young's modulus of steel
e_{leg}	eccentricity of leg
G	shear modulus of foundation soil
g	acceleration of gravity
H	horizontal force at spudcan base level
H_{max}	maximum horizontal force at spudcan base level
I_{hull}	moment of inertia of equivalent hull beam model
I_{leg}	moment of inertia of equivalent leg beam model
$I_{\text{r\&c}}$	moment of inertia of rack and chord
K	column effective length factor
K_{buoy}	spring stiffness of buoyancy
$K_{\text{dV}}, K_{\text{dH}}$ and K_{dM}	vertical, horizontal and moment foundation stiffness depth factors
K_{ISO}	foundation stiffness calculated by ISO guidance (2012)
$K_{\text{V,ISO}}, K_{\text{H,ISO}}$ and $K_{\text{M,ISO}}$	vertical, horizontal and moment foundation stiffness calculated by ISO guidance (2012)
K_{LDFE}	foundation stiffness calculated by LDFE analysis
$K_{\text{V,LDFE}}, K_{\text{H,LDFE}}$ and $K_{\text{M,LDFE}}$	vertical, horizontal and moment foundation stiffness calculated by LDFE analysis
L_{bay}	bay length

L_{leg}	length of leg
L_{rack}	length of rack
M	moment at spudcan base level
M_{max}	maximum moment at spudcan base level
M_t	moment at leg top
RP	reference point that is the intersection point of the centre line and largest cross section of the spudcan (see Fig. 3)
$R_x, R_y \text{ \& } R_z$	rotational displacement
$r_{r\&c}$	radius of gyration of rack and chord
S_t	soil sensitivity
s_u	undrained shear strength
$s_{u,ref}$	reference undrained shear strength
t_{brace}	brace thickness
t_{chord}	chord thickness
t_{rack}	rack thickness
$U_x, U_y \text{ \& } U_z$	directional displacement
V	vertical force
v	spudcan penetration velocity
z	penetration depth below soil surface
z_F	footprint depth
α_b	spudcan base angle
β	distance between the footprint centre and spudcan centre
$\Delta F_{buoy.}$	change in static buoyancy force on the hull bottom (or the required force for Δs)
Δs	change in hull vertical displacement
$\Delta\delta_a, \Delta\delta_b, \Delta\delta_c, \Delta\delta_d$	relative deflection at four different locations (see Fig. 9)
$\Delta\theta_a, \Delta\theta_b, \Delta\theta_c, \Delta\theta_d$	relative rotation at four different locations (see Fig. 9)
δ	spudcan lateral displacement at RP
δ_{max}	maximum spudcan lateral displacement
δ_{rem}	remoulded strength ratio
$\dot{\gamma}$	shear strain rate
$\dot{\gamma}_{ref}$	reference shear strain rate

λ	the ratio of the distance between the footprint centre and spudcan centre, β , and the spudcan diameter
μ	rate parameter for logarithmic expression
θ	spudcan rotation at RP
θ_{\max}	maximum rotation at RP
ρ_{sea}	density of sea water
σ_{axial}	structural axial stress
σ_{beam}	structural beam stress
$\sigma_{\text{beam,max}}$	maximum structural beam stress
σ_{bending}	structural bending stress
σ_E	Euler's buckling strength
σ_{criteria}	design criteria (ISO, 2012)
σ_{yield}	yield stress of steel
ν	Poisson's ratio of foundation soil
ω	reduction factor of foundation stiffness
ξ	cumulative plastic shear strain
ξ_{95}	cumulative plastic shear strain required for 95% remoulding

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703 Table 1. Main dimensions and properties of a simplified jack-up rig model

Main dimensions and properties	Value
Total leg length	180 (m)
Leg length between hull and seabed	150 (m)
Each side length of hull (hull shape: equilateral triangle)	80 (m)
Cross-sectional area of equivalent leg beam model, A_{leg}	0.71 (m ²)
	0.35 (m ²) for a symmetric condition
Cross-sectional area of equivalent hull beam model, A_{hull}	2.79 (m ²)
	1.40 (m ²) for a symmetric condition
Moment of inertia of equivalent leg beam model, I_{leg}	21.26 (m ⁴)
	10.63 (m ⁴) for a symmetric condition
Moment of inertia of equivalent hull beam model, I_{hull}	55.51 (m ⁴)
	27.76 (m ⁴) for a symmetric condition

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707 Table 2. Summary of 3D LDFE analyses performed

Group	Spudcan shape	$s_{u,ref}$ (kPa)	Footprint depth, z_F (m)	Footprint diameter, D_F (m)	Offset distance, β (m)	Penetration scenario	Spudcan response				Note	
							H_{max} (MN)	M_{max} (MN-m)	δ_{max} (m)	θ_{max} ($^\circ$)		
I	Generic spudcan	*Soft clay	0.33D	2.0D	0.55D	Fixed head condition		1.02	13.1	-	-	Effect of global response and large sliding
						Preloading A (K_{ISO})		0.94	13.8	0.49	-0.23	
						Preloading B (K_{LDFE})	$\omega = 1.0$	0.93	13.6	0.55	-0.13	
							$\omega = 0.5$	0.75	13.7	2.67	-0.11	
							$\omega = 0.3$	0.56	13.4	3.98	-0.08	
$\omega = 1.0$	0.25	12.5	6.23	-0.04								
II	Generic spudcan	#Very Stiff clay	0.66D	1.0D	0.50D	Fixed head condition		7.55	73.0	-	-	Leg damage
						Preloading A (K_{ISO})		6.35	72.0	3.43	-1.37	
III	Novel spudcan	*Soft clay	0.33D	2.0D	0.55D	Preloading B (K_{LDFE})	$\omega = 1.0$	0.64	13.8	0.40	-0.10	Effect of novel spudcan
		#Very Stiff clay	0.66D	1.0D	0.50D		$\omega = 0.1$	0.27	12.2	3.72	-0.05	
						Preloading A (K_{ISO})		4.18	58.2	2.35	1.06	

708 Note: *Soft clay: $s_{u,ref} = 2.4 + 1.35z$ (kPa) (Menzies & Roper, 2008)709 #Very stiff clay: $s_{u,ref} = 50.0$ (kPa)

710 Table 3. Displacement and rotation at each location (locations a, b, c and d) at the penetration depth with H_{\max} and θ_{\max}

		Lateral displacement at δ_{\max} (m)					Rotation at θ_{\max} (degree)				
		$\Delta\delta_a$	$\Delta\delta_b$	$\Delta\delta_c$	$\Delta\delta_d$	δ_{\max}	$\Delta\theta_a$	$\Delta\theta_b$	$\Delta\theta_c$	$\Delta\theta_d$	θ_{\max}
Preloading A (K_{ISO})	Measured value	0.00	0.01	0.00	0.48	0.49	0.00	-0.03	-0.03	-0.17	-0.23
	Ratio*	0%	2%	0%	98%	100%	0%	13%	13%	74%	100%
Preloading B ($K_{\text{LD FE}}$)	Measured value	0.05	0.25	0.00	0.25	0.55	0.12	-0.08	-0.03	-0.13	-0.12
	Ratio	10%	45%	0%	45%	100%	-100%	67%	25%	108%	100%
Preloading B ($0.5K_{\text{LD FE}}$)	Measured value	2.25	0.20	0.00	0.22	2.67	0.09	-0.06	-0.03	-0.11	-0.11
	Ratio	84%	8%	0%	8%	100%	-82%	55%	27%	100%	100%
Preloading B ($0.3K_{\text{LD FE}}$)	Measured value	3.65	0.16	0.00	0.17	3.98	0.07	-0.05	-0.02	-0.08	-0.08
	Ratio	92%	4%	0%	4%	100%	-88%	63%	25%	100%	100%
Preloading B ($0.1K_{\text{LD FE}}$)	Measured value	6.09	0.07	0.00	0.07	6.23	0.03	-0.02	-0.01	-0.04	-0.04
	Ratio	98%	1%	0%	1%	100%	-75%	50%	25%	100%	100%

711 Note: *Ratio: $\Delta\delta_{\text{Location}} / \delta_{\max}$ & $\Delta\theta_{\text{Location}} / \theta_{\max}$

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713 Table 4. Dimensions and properties for chord and bracing

Dimensions and properties		
Chord	Outer diameter, D_{chord} (cm)	60
	Thickness, t_{chord} (cm)	6
Rack	Length, L_{rack} (cm)	64
	Thickness, t_{rack} (cm)	21
Rack & chord	Area, $A_{\text{r\&c}}$ (cm ²)	2362
	Moment of inertia, $I_{\text{r\&c}}$ (cm ⁴)	487817
	Radius of gyration, $r_{\text{r\&c}}$ (cm)	14
Brace	Outer diameter, D_{brace} (cm)	20
	Thickness, t_{brace} (cm)	2
Length of bay, L_{bay} (cm)		750
Young's modulus, E_{steel} (MPa)		2.05E+05
Yield stress, σ_{yield} (MPa)		414~700

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